

# FILS

## Course: Compiler Techniques

### Homework #4 Top-down Parsing

I. Consider the following grammar, where  $S$  is the initial symbol and  $\{a, b, c, d, e\}$  is the set of terminal symbols:

$S \rightarrow Fc \mid Acd \mid \lambda$   
 $F \rightarrow b \mid AcFe$   
 $A \rightarrow a$

1. Examine the grammar and rewrite it so that an LL(1) predictive parser can be built for the corresponding language.
2. Compute the FIRST and FOLLOW sets for all non-terminal symbols in the new grammar
3. Build the parse table.
4. Show the parser configuration (stack, input, and actions) for the analysis process of the **acbec** input sequence.

II. Consider the following grammar:

$A \rightarrow Aa \mid Aba \mid a \mid AbcA \mid Abcb \mid cA \mid cb$

- a. Transform it in a top-down parsable grammar.
- b. Calculate the needed FIRST, FOLLOW for building SD sets.
- c. Build the LL(1) parse table for it.
- d. Parse the input string **abcba** with the aid of a parsing simulation table as in the followings:

STEP	STACK	INPUT	ACTION
1	\$A	abcba\$	A->xB
2	.....		

III. Programming exercise:

Given the following LL(1) grammar of arithmetic expressions, write a recursive descent parser for this grammar in Java:

0. Goal  $\rightarrow$  Expr
1. Expr  $\rightarrow$  Term Expr'
2. Expr'  $\rightarrow$  + Term Expr'
3.           | - Term Expr'
4.           |  $\lambda$
5. Term  $\rightarrow$  Factor Term'
6. Term'  $\rightarrow$  \* Factor Term'
7.           | / Factor Term'
8.           |  $\lambda$
9. Factor  $\rightarrow$  ( Expr )
10.          | num
11.          | id

Verify the parser using the following two input strings:

**(num +id)\*id**          and          **id – num \* id/( )**

Note. A recursive descent parser is a kind of predictive parser.

#### Hint.

Given a grammar that has the LL(1) property you can write simple routines to recognize possible structures for each non-terminal. The code for such a routine is both simple and fast:

Consider a LL(1) grammar and all A-productions in this grammar:

$A \rightarrow \beta_1 \mid \beta_2 \mid \beta_3$ , with  
 $SD(A \rightarrow \beta_i) \cap SD(A \rightarrow \beta_j) = \emptyset$ , with  $i, j = 1..3, i \neq j$

Write for A a method with the following algorithm:

```
/* select a non-terminal A */
public boolean A() {
    if (current_token  $\in$  SD(A $\rightarrow$  $\beta_1$ ))
        find an input substring  $\beta_1$  and the return true
    else if (current_token  $\in$  SD(A $\rightarrow$  $\beta_2$ ))
        find an input substring  $\beta_2$  and return true
    else if (current_token  $\in$  SD(A $\rightarrow$  $\beta_3$ ))
        find an input substring  $\beta_3$  and return true
    report an error and return false
}
```

Add a main() method that verifies the parser.